Query Optimization Exercise Session 6

Andrey Gubichev

November 24, 2014

DPsub

- Iterate over subsets in the integer order
- ▶ Before a join tree for *S* is generated, all the relevant subsets of *S* must be available

DPsub

```
DPsub(R)
Input: a set of relations R = \{R_1, \dots, R_n\} to be joined
Output: an optimal bushy join tree
B = \text{an empty DP table } 2^R \rightarrow \text{join tree}
for each R_i \in R
  B[\{R_i\}] = R_i
for each 1 < i \le 2^n - 1 ascending {
  S = \{R_i \in R | (|i/2^{j-1}| \mod 2) = 1\}
  for each S_1 \subset S, S_2 = S \setminus S_1 {
     if \negcross products \wedge \neg S_1 connected to S_2 continue
     p_1 = B[S_1], p_2 = B[S_2]
     if p_1 = \epsilon \vee p_2 = \epsilon continue
     P = \text{CreateJoinTree}(p_1, p_2);
     if B[S] = \epsilon \vee C(B[S]) > C(P) B[S] = P
return B[\{R_1,\ldots,R_n\}]
```

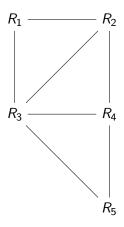
Implementation: DPsize

- dbTable the vector of lists of Problems, each Problem is either a relation or a join of Problems
- lookup (hashtable) mapping the set of the relations to the best solution and its cost
- ▶ initialize dpTable[0] with the list of R1, ..., Rn
- set the size of dpTable to n

Implementation: DPsize

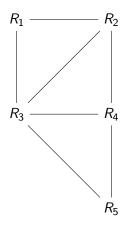
DPccp

- Enumerate over all connected subgraphs
- ► For each subgraph enumerate all other connected subgraphs that are disjoint but connected to it



- ▶ Nodes in the query graph are ordered according to a BFS
- Start with the last node, all the nodes with smaller ID are forbidden
- ► At every step: compute neighborhood, get forbidden nodes, enumerate subsets of non-forbidden nodes *N*
- Recursive calls for subsets of N

```
EnumerateCsg(G)
for all i \in [n-1, ..., 0] descending {
    emit \{v_i\};
     EnumerateCsgRec(G, {v_i}, \mathcal{B}_i);
EnumerateCsgRec(G, S, X)
N = \mathcal{N}(S) \setminus X;
for all S' \subseteq N, S' \neq \emptyset, enumerate subsets first {
    emit (S \cup S'):
for all S' \subseteq N, S' \neq \emptyset, enumerate subsets first {
     EnumerateCsgRec(G, (S \cup S'), (X \cup N));
```



Enumerating Complementary Subgraphs

```
EnumerateCmp(G,S_1)
X = \mathcal{B}_{\min(S_1)} \cup S_1;
N = \mathcal{N}(S_1) \setminus X;
for all (v_i \in N \text{ by descending } i) {
emit \{v_i\};
EnumerateCsgRec(<math>G, \{v_i\}, X \cup (\mathcal{B}_i \cap N));
}
```

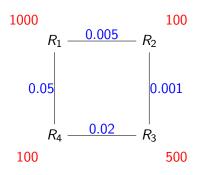
- ► EnumerateCsg+EnumerateCmp produce all ccp
- ▶ resulting algorithm DPccp considers exactly #ccp pairs
- which is the lower bound for all DP enumeration algorithms

Graph simplification

Sometimes the graph is too big, let's simplify it.

- GOO: choose the joins greedily (very hard, depends on all other joins)
- Simplification: choose the joins that must be avoided (we can start with 'obvious' decisions)

Graph simplification: Example



- ▶ benefit($X \bowtie R_1, X \bowtie R_2$) = $\frac{C((X \bowtie R_1) \bowtie R_2)}{C((X \bowtie R_2) \bowtie R_1)}$
- ► $R_3 \bowtie R_2$ before $R_3 \bowtie R_4$. Remove $R_4 - R_3$
- ► $R_4 \bowtie (R_2 \bowtie R_3)$ before $R_4 \bowtie R_1$. Remove $R_1 R_4$
- no more choices

$$|R_1 \bowtie R_4| = 5000$$
, $|R_1 \bowtie R_2| = 500$, $|R_2 \bowtie R_3| = 50$, $|R_3 \bowtie R_4| = 1000$

More insights

- Guido Moerkotte, Thomas Neumann. Analysis of Two Existing and One New Dynamic Programming Algorithm. In VLDB'06
- Guido Moerkotte, Thomas Neumann. Dynamic Programming Strikes Back. In SIGMOD'08
- ▶ Thomas Neumann. Query Simplification: Graceful Degradation for Join-Order Optimization. In SIGMOD'09

Homework

- 3 problems (See website)
- ▶ You will need to revisit some lecture slides for it

Next programming task

- Due December 8
- Dynamic Programming (DPsize)
- ▶ We will compare the speed of different submissions :)

Info

Exercises due: 9 AM, December 1, 2014